

## The Research of the Lead Time and the Profit in Centralized Dual-Channel Supply Chain

Huaping Zhang

*Management & Economics School of North China University of Water Resources and Electric Power*  
*zhanghuaping@ncwu.edu.cn*

### Abstract

*Internet has changed customers' consumption patterns a lot. And it also has changed the manufactures' sale model. These phenomena bring us reformation and challenge. In direct channel, price is always cheaper than that in traditional channel and we can get much profit. Empirical studier shows that lead time is one of the major factors influencing consumer acceptance. A short lead time can increase the logistics, but the long lead time will reduce customers' acceptance and the loyalty. Therefore, researching the lead time and the profit is important for dual-channel. In this paper, we study the lead time in centralized dual-channel supply chain and its impact on profit. We build the dual-channel supply chain model including quoted lead time and examine the relationship about the lead time, profit and  $\theta$ . This work is very helpful to manufacturers and retailers.*

**Keywords:** *Dual-channel, Centralized dual-channel supply chain, Lead time*

### 1. Introduction

In dual-channel supply chain, quoted lead time is a very important factor for manufacture and retailer. Enterprises treat the lead time as the time-based competition. For dual-channel enterprises, lead time and price are the advantages in competition and the direct channel will get much profit. Lead time and price are the basements that the direct channel competes with the traditional channel. A proper lead time will enhance the loyalty of the customers and the cheaper price will bring much profit.

On dual channels, Paralar and Wang [1] developed a two-firm competitive newsboy model where the firms faced independent random demands. Karjalainen [2] also analyzed the case that independent firm demands were aggregated to form industry demand. Choi (1996) [3] showed that the products' price in channel is the key factor for channel conflict. Lippmand and Macardle [4] considered a competitive version of the classical newsboy problem in which a firm must choose an inventory or production level for a perishable good with random demand. They also investigated the impact of competition upon industry inventory. .Chen *et al.*, [5] proposed a consumer channel choice model with service competition in a dual-channel supply chain. Brynjolfsson (2000) [6] made an empirical study of pricing in direct channel. He found that the product price in direct channel is lower 9~16% than that in the traditional retail. And he also found that the product price in direct channels changed frequently. Corbett [7] compared quantity discount mechanisms with symmetric and asymmetric downstream cost information in a decentralized supply chain consisting of one supplier and multiple buyers who may not share their information. Webb (2002) [8] analyzed the channel conflict management strategies from the supplier's perspective. He also put forward some proposals for resolving conflicts. Tsay (2004) [9] reviewed the conflict and coordination in dual-channel. Lau [10] explored a two-echelon newsboy model with asymmetric demand

information in which the retailer had better market information than the manufacturer, analyzing the effects of improving the retailer's and the manufacturer's market knowledge of their profits and the system profit.

Chiang *et al.*, [11] pointed out that the retailer also benefited from the direct channel by decreasing a wholesale price when there was a price-setting game between the retail and the direct sale channel. Cachon and Fisher [12] found that the value of sharing demand information was very limited under stationary demand. By contrast, Lee *et al.*, [13] showed that the value of information increases as demand was more positively correlated over time. Yao and Liu (2005)[14] studied the static and dynamic equilibrium pricing strategy and the factors that influenced the demand. Yue and Liu (2006) [15] analyzed the influence of the direct channel on the performance of the supply chain. Then he researched the influence of the information sharing on pricing and inventory decisions. Yan [16] presented the problem of determining the optimal price when the manufacturer competed in a retail channel versus a Web-based direct sale channel. Swaminathan and Tayur [17] summarized relevant analytical models and provided a detailed review on strengths and limits of different models in E-business. Dumrongsiri(2008) [18] studied the retailers pricing problem in dual channel supply chain. Hua *et al.*, [19] investigated and compared the optimal delivery lead time and price between the centralized decision and the decentralized decision in a dual-channel supply chain. Dan *et al.*, [20] compared the optimal price between a centralized and the decentralized supply chain decision and presented a coordination strategy. However, studies on contracts that provide insights on how to coordinate a dual-channel supply chain are limited. Chiang and Monahan [21] presented a dual-channel inventory model with the stochastic demands for two customer segments. Chen *et al.*, [22] investigated the manufacturer's pricing strategies in a dual-channel supply chain and found that the manufacturer's contract with a wholesale price and a price for the direct channel could coordinate the dual-channel supply channel. Lau [23] studied the influence of both symmetric and asymmetric manufacturing cost information on the supply chain members' expected profits in a two-echelon supply chain in three different games under linear and ISO-elastic demand. Salespeople were the eyes and ears of the firms they served, possessing market information critical for a wide range of decisions. Boyaci [24] found that the simple contracts, such as the wholesale price, buyback, revenue-sharing and Vendor Managed Inventory (VMI) contracts, cannot coordinate the dual-supply chain with inventory decisions. Cai [25] discussed the influences of different channel structures and the channel coordination on the profits of supply chain partners and the whole system.

Our work is also related to previous research on lead time decisions in centralized dual-channel supply chain. Liu et al. [26] examined price and delivery lead time decisions in decentralized supply chains based on the Stackelberg game. Yang and Geunes [27] studied inventory and lead time decisions with lead-time-sensitive demand. Differing from their study, we examine in this paper the lead time decision in the centralized dual-channel supply chain.

In this paper, we establish an analytical framework. This framework analyzes the impact on the lead time and the profit in centralized dual channel. The study of this problem will offer a decision aid for manufacture and retailer. The numerical analysis shows that the lead time will influence the profit of manufacture and retailer strongly. The structure of this paper is as follows. The first part is the introduction. The second part is the lead time and profit in centralized dual-channel supply chain. The third part is the numerical analysis and the last part is the conclusion.

## 2. The Lead Time and Profit in Centralized Dual-Channel Supply Chain

### 2.1. The Basic Model

We consider that the supply chain is constituted of a manufacturer and a retailer. The manufacturer sells the goods to the retailer, as well as to the customers directly. Customers buy the goods from retailer or buy these goods from the internet. The wholesale price is  $w$ . The direct sale price is  $p_d$ . The retail price is  $p_r$ , and the lead time is  $l$ . The dual-channel supply chain is shown as Figure 1.

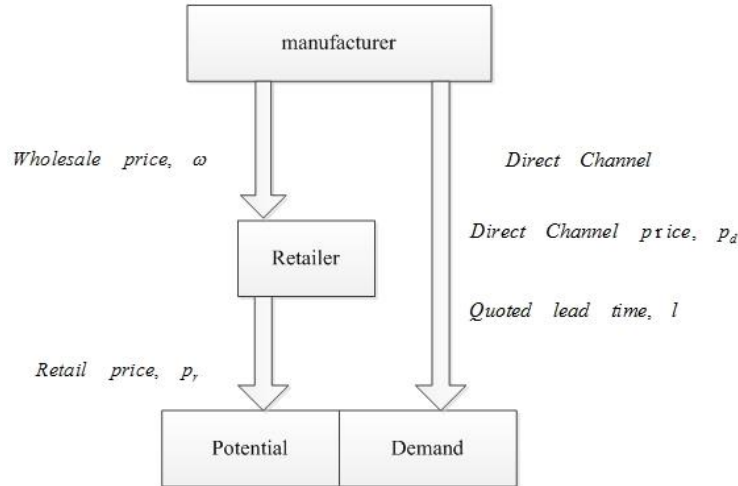


Figure 1. The Dual-channel Supply Chain

We assume that the demand functions are linear. The demand functions are shown as follows:

$$D_d = \theta a - b_1 p_d + c_1 p_r \quad (1)$$

$$D_r = (1 - \theta)a - b_2 p_r + c_2 p_d \quad (2)$$

$a$  is the basic demand in the market. The share of the demand of the direct channel is  $\theta$ . So,  $1 - \theta$  is the share of the traditional channel demand.  $b_1$  and  $b_2$  are the coefficients of price elasticity of  $D_d$  and  $D_r$ .  $c_1$  and  $c_2$  is the cross-price sensitivities.

If we consider the lead time, we assume that the demand functions are

$$D_d = \theta a - b_1 p_d + c_1 p_r - \alpha l$$

$$D_r = (1 - \theta)a - b_2 p_r + c_2 p_d + \beta l$$

$\alpha$  and  $\beta$  are the lead time sensitivity of the demands in each channel. The total demand is

$$D = D_d + D_r = a - (b_2 - c_1) p_r - (b_1 - c_2) p_d + (\alpha - \beta) l$$

We assume that the cross-price effects are symmetric, namely  $c_1 = c_2 = c$ . We also assume that  $w \leq p_d$  and the handling and shipping costs of an order  $c(l) = c_0 + \gamma/l$ ,  $\gamma > 0$  ( $c_0$  is the least incurred logistics cost).

From  $D_d \geq 0, D_r \geq 0$ , we obtain

$$c_r \leq w \leq p_r \leq Al + M \quad (3)$$

$$c_d + \gamma/l \leq p_d \leq Bl + M \quad (4)$$

where

$$A = \frac{\beta b_1 - \alpha c}{b_1 b_2 - c^2}, B = \frac{\beta c - \alpha b_2}{b_1 b_2 - c^2}, M = \frac{a_1 c + \alpha_2 b_1}{b_1 b_2 - c^2}, N = \frac{a_1 b_2 + \alpha_2 c}{b_1 b_2 - c^2}$$

$$a_1 = \theta a \text{ and } a_1 = (1 - \theta)a$$

From the sake of convenience in discussion, let

$$\delta = \frac{\beta}{\alpha} - \frac{c}{b_1}, E = \frac{\alpha b_1}{b_1 b_2 - c^2},$$

$$P = a_1 - b_1 c_d + c c_r \text{ and } Q = a_2 - b_1 c_r + c c_d$$

We assume that retailer has no merchandizing cost. So, the retailer's profit is

$$\pi_r = (p_r - w)D_r \tag{5}$$

The manufacturer's profit is

$$\pi_m = (w - c_r)D_r + (p_d - c_d - \gamma/l)D_d \tag{6}$$

The profit of the centralized supply chain is

$$\pi = \pi_r + \pi_m = (p_r - c_r)D_r + (p_d - c_d - \gamma/l)D_d \tag{7}$$

## 2.2. Analysis of Centralized Dual-channel Supply Chain

We analyze the centralized dual-channel supply chain. In the dual-channel supply chain, manufacture decides the traditional retailer's price, the direct sale price and the quoted lead time in direct channel.

We substitute the formula (1) and formula (2) into formula (7), we can get

$$\pi_c = (p_r - c_r)(a_2 - b_2 p_r + c p_d + \beta l) + (p_d - c_d - \gamma/l)(a_1 - b_1 p_d + c p_r - \alpha l) \tag{8}$$

We examine some propositions regarding  $\pi_c$  in order to maximize  $\pi_c$ .

**Proposition 1.** The dual-channel profit  $\pi_c$  is strictly jointly concave in  $p_r$  and  $p_d$ , concave in  $p_r, p_d$  and  $l$ .

**Proof:**

$$H = \begin{pmatrix} \partial^2 \pi_c / \partial p_r^2 & \partial^2 \pi_c / \partial p_r \partial p_d & \partial^2 \pi_c / \partial p_r \partial l \\ \partial^2 \pi_c / \partial p_d \partial p_r & \partial^2 \pi_c / \partial p_d^2 & \partial^2 \pi_c / \partial p_d \partial l \\ \partial^2 \pi_c / \partial l \partial p_r & \partial^2 \pi_c / \partial l \partial p_d & \partial^2 \pi_c / \partial l^2 \end{pmatrix}$$

$$= \begin{pmatrix} -2b_2 & 2c & \beta + c\gamma/l^2 \\ 2c & -2b_1 & -\alpha - b_1\gamma/l^2 \\ \beta + c\gamma/l^2 & -\alpha - b_1\gamma/l^2 & -2\gamma(a_1 - b_1 p_d + c p_r)/l^3 \end{pmatrix}$$

Since

$$\partial^2 \pi_c / \partial p_r^2 = -2b_2 < 0$$

and

$$\begin{vmatrix} \partial^2 \pi_c / \partial p_r^2 & \partial^2 \pi_c / \partial p_r \partial p_d \\ \partial^2 \pi_c / \partial p_d \partial p_r & \partial^2 \pi_c / \partial p_d^2 \end{vmatrix} = 4b_1 b_2 - 4c^2 > 0$$

$\pi_c$  is strictly jointly concave in  $p_d$  and  $p_r$

However, due to

$$\partial^2 \pi_c / \partial p_r^2 = -2b_1 < 0$$

And

$$\begin{vmatrix} \partial^2 \pi_c / \partial p_d^2 & \partial^2 \pi_c / \partial p_d \partial l \\ \partial^2 \pi_c / \partial l \partial p_d & \partial^2 \pi_c / \partial l^2 \end{vmatrix} = 4b_1\gamma(a_1 - b_1p_d + cp_3)/l^3 - (\alpha + b_1\gamma/l^2)^2$$

If  $l$  is large enough, the above equation may be negative. So,  $\pi_c$  is indefinite with respect to  $l$  and  $p_d$ . Hence,  $\pi_c$  is not jointly concave in  $p_d$  and  $p_r$  at all.

From the proposition 1, we can know that we cannot get the optimal values of  $p_r$ ,  $p_d$  and  $l$  by the first-order conditions. But, we learn that  $\pi_c$  has a unique optimal solution for any given  $l$ .

**Proposition 2.** For any given  $l$ , the optimal retail price  $p_r$  and the optimal direct sale price  $p_d$  are given by

$$p_r^*(l) = \frac{A}{2}l + \frac{M + c_r}{2} \tag{9}$$

$$p_d^*(l) = \frac{\gamma}{2}l + \frac{B}{2}l + \frac{N + c_d}{2} \tag{10}$$

The total profit or profit rate  $\pi_c^*(l)$  as a function of  $l$  is given by

$$\begin{aligned} \pi_c^*(l) = & \frac{b_1\gamma^2}{4l^2} - \frac{\gamma P}{2l} + \frac{(a_1 + P)B + (a_2 + Q)A + \alpha c_d - \beta c_r - \beta c_r l}{4} \\ & + \frac{\beta A - \alpha B}{4}l^2 + \frac{2\alpha\gamma + (M - c_r)Q - (N - c_d)P}{4} \end{aligned} \tag{11}$$

**Proof:**

From the proposition 1, we can know that for any given  $l$ ,  $\pi_c$  has a unique optimal solution.

We take the first-order partial derivatives of  $p_r$  and  $p_d$ . Let the derivatives be zero, we have

$$\begin{cases} \partial \pi_c / \partial p_r = -2b_2 p_r + 2c p_d + \beta l - c\gamma / l + a_2 + b_2 c_r - c c_d = 0 \\ \partial \pi_c / \partial p_d = -2c p_r - 2b_1 p_d - \alpha l + b_1 \gamma / l + a_1 + b_1 c_r - c c_r = 0 \end{cases}$$

Then

$$\begin{cases} p_r^*(l) = \frac{A}{2}l + \frac{M + c_r}{2} \\ p_d^*(l) = \frac{\gamma}{2}l + \frac{B}{2}l + \frac{N + c_d}{2} \end{cases}$$

From the formula (3) and (4), we have

$$p_r^*(l) = \frac{1}{2}(Al + M) + \frac{c_r}{2} \geq \frac{c_r}{2} + \frac{c_r}{2} = c_r$$

$$p_r^*(l) = \frac{1}{2}(Al + M) + \frac{c_r}{2} \leq \frac{1}{2}(Al + M) + \frac{1}{2}(Al + M) = Al + M$$

$$p_d^*(l) = \frac{1}{2}\left(\frac{\gamma}{l} + c_d\right) + \frac{1}{2}(Bl + Bl + N) \geq \frac{1}{2}\left(\frac{\gamma}{l} + c_d\right) + \frac{1}{2}\left(\frac{\gamma}{l} + c_d\right) = \frac{\gamma}{l} + c_d$$

$$p_d^*(l) = \frac{1}{2}\left(\frac{\gamma}{l} + c_d\right) + \frac{1}{2}(Bl + N) \leq \frac{1}{2}(Bl + N) + \frac{1}{2}(Bl + N) \leq Bl + N$$

These equations show that  $p_r^*(l)$  and  $p_d^*(l)$  meet formula (3) and formula (4). Substituting formula (9) and formula (10) into formula (8), we can get formula (11).

When  $\theta$  increases, the optimal retail price and optimal direct sale will increase for any given  $l$ .

**Proposition 3.**

①

$$\frac{dp_d^*(l)}{dl} < 0, \frac{dp_r^*(l)}{dl} > \frac{dp_d^*(l)}{dl} \quad (12)$$

② When

$$l > \sqrt{\frac{\gamma}{-B}}, \left| \frac{dp_d^*(l)}{dl} \right| > \left| \frac{dc(l)}{dl} \right|,$$

and when

$$l \leq \sqrt{\frac{\gamma}{-B}}, \left| \frac{dp_d^*(l)}{dl} \right| \leq \left| \frac{dc(l)}{dl} \right| \quad (13)$$

③ When

$$\delta > 0, \frac{dp_r^*(l)}{dl} > 0;$$

When

$$\delta < 0, \frac{dp_r^*(l)}{dl} < 0;$$

And when

$$\delta = 0, \frac{dp_r^*(l)}{dl} = 0 \quad (14)$$

**Proof:**

(1) From proposition 2,  $\frac{dp_d^*(l)}{dl} = -\frac{\gamma}{2l^2} + \frac{B}{2} < 0$  and  $\frac{dp_d^*(l)}{dl} - \frac{dp_r^*(l)}{dl} = \frac{\gamma}{2l^2} + \frac{A-B}{2} > 0$ ,

we can derive the rest of the results.

(2) Note that  $\frac{dp_r^*(l)}{dl} = \frac{A}{2} = \frac{E\delta}{2}$  and  $E > 0$ , the results are straightforward to derive.

Proposition 3(1) shows that when  $l$  decrease,  $p_d^*(l)$  increases. But, we can find that the rate of change of  $p_d^*(l)$  is less than that of  $p_r^*(l)$ .

Proposition 3(2) indicates that when  $l$  exceeds a threshold, the direct sale price  $p_d$  will increase more than the incurred logistics cost.

$\frac{\beta}{\alpha}$  represents the ratio of customer transferring to the traditional channel from the direct channel due to an increasing lead time.  $\frac{c}{b_1}$  represents the ratio of customer transferring to the direct channel from the traditional channel due to an increasing lead time.. So,  $\delta$  represents the difference between the two ratios.

$$\delta = \left(1 - \frac{c}{b_1}\right) - \left(1 - \frac{\beta}{\alpha}\right)$$

Proposition 3(3) shows that the retailer's pricing behavior  $p_r$  is determined by  $\delta$ . So, it is very important for manufacturers and retailers to make decisions with considering  $\delta$ .

For maximizing  $\pi_c^*(l)$ , we need find the optimal  $l$ . We distinguish  $\pi_c^*(l)$  with reference to  $l$ , which generate the first-order condition:

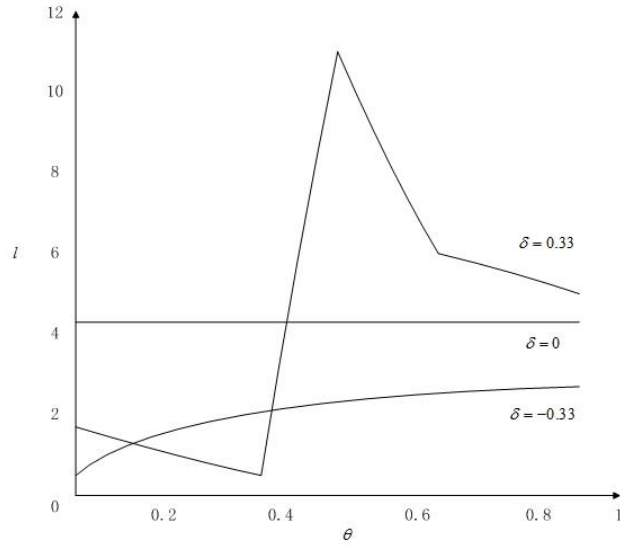
$$\frac{d\pi_c^*(l)}{dl} = -\frac{b_1\gamma^2}{2l^3} + \frac{\gamma P}{2l^2} + \frac{(a_1 + P)B + (a_2 + Q)A + \alpha c_d - \beta c_r}{4} + \frac{\beta A - \alpha B}{2}l = 0$$

i.e.

$$\begin{aligned} & [(a_1 + P)B + (a_2 + P)B + (a_2 + Q)A + \alpha c_d - \beta c_r]l^3 \\ & + 2(\beta A - \alpha B)l^4 + 2\gamma Pl - 2b_1\gamma^2 = 0 \end{aligned}$$

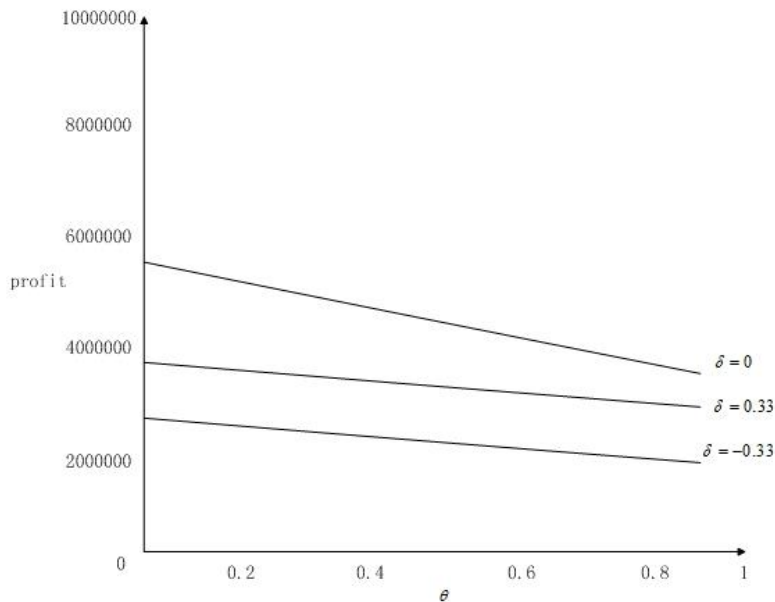
### 3. Numerical Analysis

In this section, we make numerical analysis to compare the lead time decisions and profit. And we also study the relationships among the retail profit, the direct sale profit and the wholesale profit in centralized supply chain. We assume that  $a = 10000$ ,  $b_1 \in [150, 300]$ ,  $b_2 \in [150, 300]$ ,  $c \in [30, 240]$ ,  $\alpha \in [200, 5000]$ ,  $\beta \in [50, 2600]$ ,  $c_d \in [80, 200]$ ,  $c_r \in [100, 200]$  and  $\gamma \in [20, 80]$ . The experimental results are shown as



**Figure 2. The Relationship between  $\theta$  and the Lead Time**

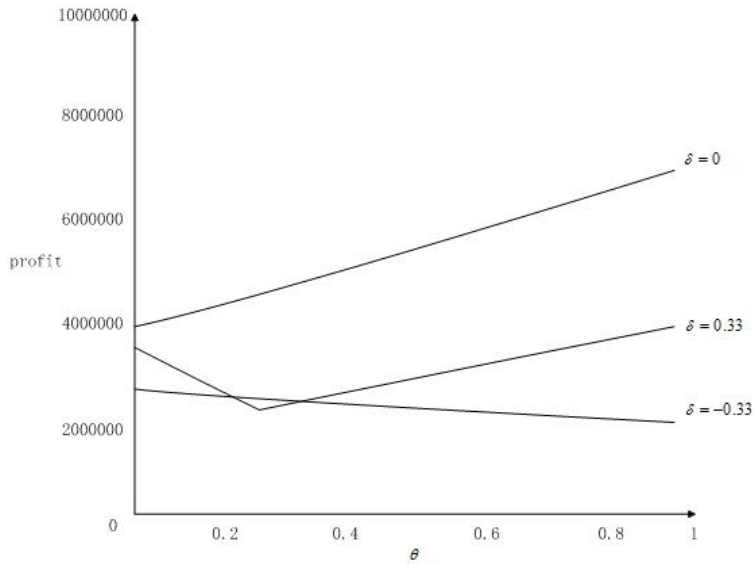
Figure 2 shows the relationship between  $\theta$  and the lead time. When  $\delta = -0.33$ , the lead time increases with the increasing  $\theta$ . When  $\delta = 0$ , the lead time is constant. When  $\delta = 0.33$ , the lead time is polyline. Firstly, the lead time decreases in the interval  $\theta \in [0, 0.4]$ . Then, the lead time increases in the interval  $\theta \in [0.4, 0.5]$ . At last, the lead time decreases in the interval  $\theta \in [0.5, 1]$ . But the speed of fall is different in the interval  $\theta \in [0.5, 1]$ .



**Figure 3. The Relationship between  $\theta$  and the Profit of Retailer on Traditional Channel**

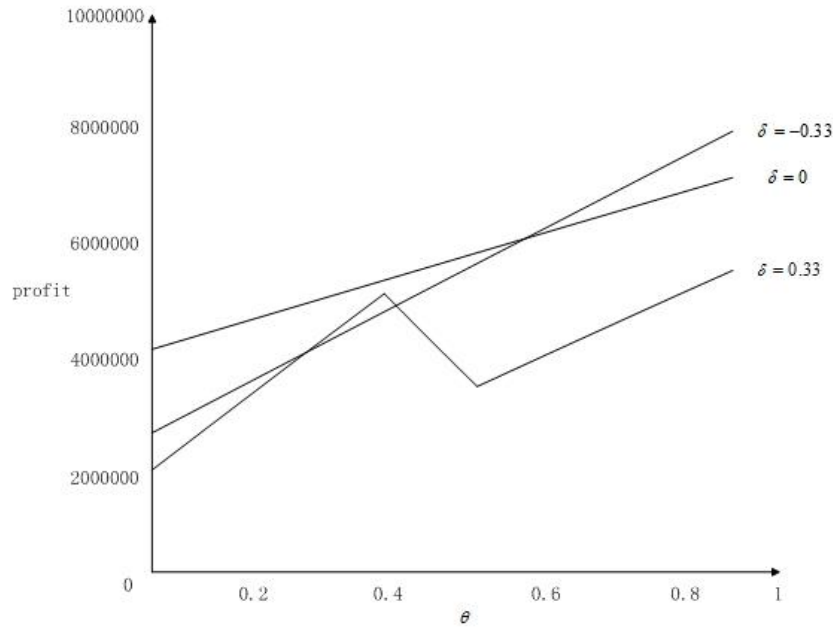


From figure.3, we can see that the profits of retailer on traditional channel are all straight lines. The profits of retailer all decreases with the increasing  $\theta$  . Retailer can get the most profit when  $\delta = 0$  . And, the retailer get the least profit when  $\delta = -0.33$  .



**Figure.4 the Relationship between  $\theta$  and the Profit of Manufacturer on Traditional Channel**

From figure.4, we can see that the profits of manufacturer on traditional channel are all straight lines when  $\delta = 0$  and  $\delta = -0.33$  . When  $\delta = 0.33$  , it is a broken line which decreases first then increases with the increasing  $\theta$  . Manufacturer can get the most profit when  $\delta = 0$  .



**Figure.5 The Relationship between  $\theta$  and the Profit of Direct Channel**

From figure.5, we can see that the profits of manufacturer on traditional channel are all straight lines when  $\delta = 0$  and  $\delta = -0.33$ . When  $\delta = 0.33$ , it is a broken line. At the interval  $[0, 0.4]$ , the line increases with the increasing  $\theta$ . At the interval  $[0.4, 0.5]$ , the line decreases with the increasing  $\theta$ . At the interval  $[0.5, 1]$ , the line increases with the increasing  $\theta$ . Manufacturer can get the most profit when  $\delta = 0$  at the interval  $[0, 0.6]$ . And at the interval  $[0.6, 1]$ , manufacturer can get the most profit when  $\delta = -0.33$ .

## 4. Conclusion

Internet has changed customers' consumption patterns a lot. And it also has changed the manufactures' sale model. These phenomena bring us reformation and challenge. In this paper, we research the lead time and profit in centralized dual-channel supply chain. In this paper, we establish an analytical framework. This framework analyzes the impact on the lead time and the profit in centralized dual channel. The study of this problem will offer a decision aid for manufacturer and retailer. We have done the below work: (1) we construct a new dual-channel supply chain model including quoted lead time; (2) we analyze the centralized dual-channel supply chain; (3) we make the numerical analysis to study the relationship about the lead time, profit and  $\theta$ . This is very helpful to manufacturers and retailers.

## References

- [1] M. Paralar and D. Wang, "Diversification under yield randomness in inventory models", *Eur. J. Oper. Res.*, vol. 66, no. 1, (1993), pp. 52–64.
- [2] R. Karjalainen, "The newsboy game", University of Pennsylvania working paper, Philadelphia", PA, (1992).
- [3] S. C. Choi, "Price competition in a duopoly common retailer channel", *Journal of Retailing*, vol. 72, no. 2, (1996), pp. 117–134.
- [4] S. A. Lippmann and K. F. Macardle, "The competitive newsboy", *Oper. Res.*, vol. 45, no. 1, (1997), pp. 54–65.
- [5] K. Y. Chen, M. Kaya and O. Ozer, "Dual sales channel management with service competition", *Manufacturing & Service Operations Management*, vol.10, no. 4, (2008), pp. 654–675.
- [6] E. Brynjolfsson and M. D. Smith, "Frictionless commerce: A comparison of internet and conventional retailers", *Management Science*, vol. 46, no. 4, (2000), pp. 563–585.
- [7] C. J. Corbett, "Stochastic inventory systems in a supply chain with asymmetric information: cycle stocks, safety stocks and consignment stock", *Oper. Res. Int. J.*, vol. 49, no. 4, (2001), pp. 487–500.
- [8] K. L. Webb, "Managing channels of distribution in the age of electronic commerce", *Industrial Marketing Management*, vol. 31, (2002), pp. 95–102.
- [9] A. A. Tsay and N. Agrawal, "Channel conflict and coordination in the E-commerce age", *Production and Operations Management*, vol. 13, no. 1, (2004), pp. 93–110.
- [10] H. S. Lau, "Effects of a demand-curve's shape on the optimal solutions of a multi-echelon inventory/pricing model", *Eur. J. Oper. Res.*, vol. 147, no. 3, (2003), pp. 530–548.
- [11] W. K. Chiang, D. Chhajed and J. D. Hess, "Direct marketing, indirect profits: a strategic analysis of dual-channel supply chain design", *Management Science*, vol. 49, no. 1, (2003), pp. 1–20.
- [12] G. P. Cachon and M. Fisher, "Supply chain inventory management and the value of shared information", *Manag. Sci.*, vol. 46, no. 8, (2000), pp. 1032–1048.
- [13] H. Lee, K. So and C. Tang, "The value of information sharing in a two-level supply chain", *Manag. Sci.*, vol. 46, no. 5, (2000), pp. 626–643.
- [14] D. Q. Yao and J. J. Liu, "Competitive pricing of mixed retail and e-tail distribution channels", *Omega*, vol. 33, (2005), pp. 235–247.
- [15] X. H. Yue and J. Liu, "Demand forecast sharing in a dual-channel supply chain", *European Journal of Operational Research*, vol. 174, (2006), pp. 646–667.
- [16] R. Yan, "Pricing strategy for companies with mixed online and traditional retailing distribution markets", *Journal of Production and Brand Management*, vol. 17, (2008), pp. 48–56.

- [17] J. Swaminathan and S. Tayur, "Models for supply chains in e-business", *Management Science*, vol. 49, (2003), pp. 1387–1406.
- [18] A. Dumrongsiri, M. Fan, A. Jain and K. Moynadeh, "A supply chain model with direct and retail channels", *European Journal of Operational Research*, vol. 187, (2008), pp. 691 -718.
- [19] G. Hua, S. Wang and T. C. E. Cheng, "Price and lead time decisions in dual-channel supply chains", *European Journal of Operational Research*, vol. 205, no. 1, (2010), pp. 113–126.
- [20] B. Dan, G. Y. Xu and C. Liu, "Pricing policies in a dual-channel supply chain with retail services", *International Journal of Production Economics*, vol. 39, no.1, (2012), pp. 312–320.
- [21] W. K. Chiang and G. E. Monahan, "Managing inventories in a two-echelon dual-channel supply chain", *European Journal of Operational Research*, vol. 162, (2005), pp. 325–41.
- [22] J. Chen, H. Zhang and Y. Sun, "Implementing coordination contracts in a manufacturer Stackelberg dual-channel supply chain", *Omega*, vol. 40, no. 5, (2012), pp. 571–583.
- [23] H. S. Lau, "Some two-echelon supply-chain games: improving from deterministic symmetric asymmetric information models", *Eur. J. Oper. Res.*, vol. 161, no. 1, (2005), pp. 203–223.
- [24] G. S. Cai, "Channel selection and coordination in dual-channel supply chains", *Journal of Retailing*, vol. 86, no. 1, (2010), pp. 22–36.
- [25] L. Liu, M. Parlar and S. X. Zhu, "Pricing and lead time decisions in decentralized supply chains", *Management Science*, vol. 53, no. 5, (2007), pp. 713–725.
- [25] B. Yang, J. Geunes, "Inventory and lead time planning with lead-time-sensitive demand", *IIE Transactions*, vol. 39, (2007), pp. 439–452.
- [27] T. Boyaci, "Competitive stocking and coordination in a multiple-channel distribution system", *IIE Transactions*, vol. 37, (2005), pp. 407–27.

## Author



**Huaping Zhang.** Male, was born on May 7th, 1980, from Dongying City, Shandong Province, China. He received his Bachelor's degree in Trade Economics (2002) and Master's degree in Management Science and Engineering (2008) from North China University of Water Resources and Electric Power and Doctor's degree in National Economics (2011) from Henan University. Now he is full associate professor of business management in Management & Economics School of North China University of Water Resources and Electric Power. His current research interests include business strategic management, cost management accounting, together with technological economic management.

